



*Supplement of*

## **Effect of stress history on sediment transport and channel adjustment in graded gravel-bed rivers**

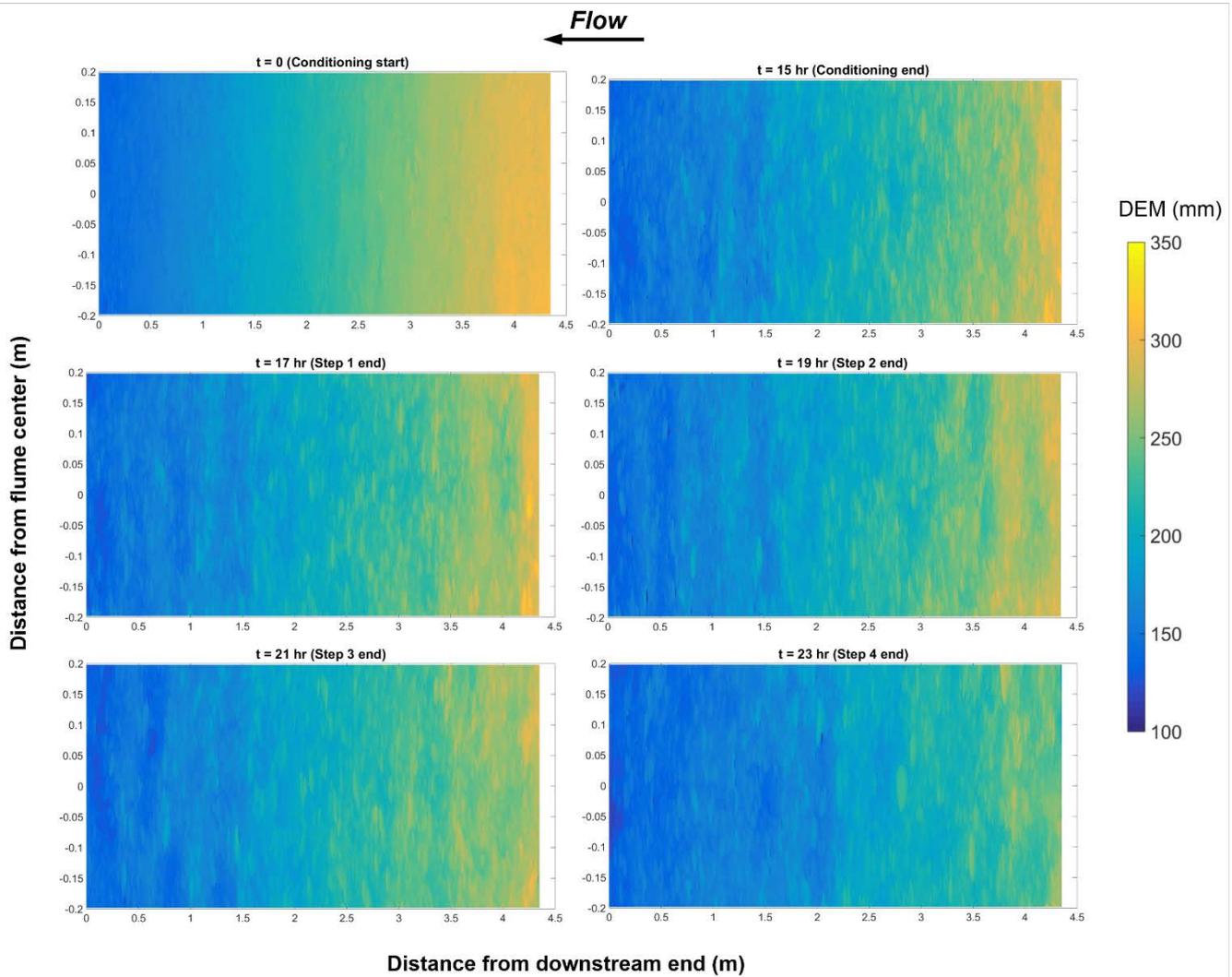
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1 **S1. DEM of bed surface during the experiment**

2 This section shows the DEM of bed surface at different time during the experiment. Results of REF6 (15) which has  
3 the longest duration of conditioning phase is presented here as an example, as shown in Fig. S1. Direct observation shows that  
4 major channel deformation (degradation) occurs during the conditioning phase and Step 4 of the hydrograph phase, which is  
5 in agreement with our results presented in Section 3.1 (Fig. 3) of the main text.

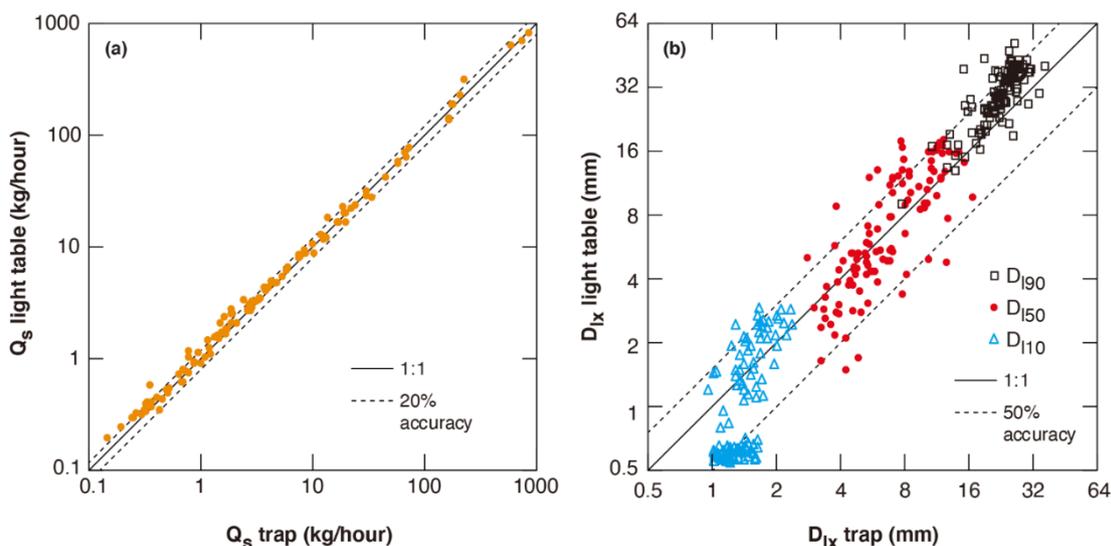


6 **Figure S1.** DEM of bed surface at different times during the experiment of REF6 (15), which has the longest duration of  
7 conditioning phase.  
8

## 9 S2. Uncertainty analysis of light table measurement

10 Dynamics of sediment transport measured by the light table is presented and analyzed in the main text, in terms of  
11 both total transport rate and characteristic grain sizes. In this section, we provide detailed estimation of the uncertainty of light  
12 table measurement by comparing the light table data against the sediment trap data for all experiments. Fig. S2(a) shows the  
13 uncertainties associated with the total sediment transport rate. It can be seen that the light table data and the sediment trap data  
14 show good agreement. The light table overestimates the total sediment transport rates by 4% on average (111 samples and a  
15 standard deviation of 14.5%). 70 out of 111 samples show an accuracy of  $\pm 10\%$  and 93 out of 111 samples show an accuracy  
16 of  $\pm 20\%$ .

17 Uncertainties associated with the bedload characteristic grain sizes are presented in Fig. S2(b). The  $D_{50}$  of bedload  
18 measured by light table show relatively good agreement with that measured by trap. The light table overestimates the  $D_{150}$  by  
19 only 3% on average (111 samples and a standard deviation of 40.1%). 91 out of 111 samples show an accuracy of  $\pm 50\%$  for  
20  $D_{150}$ . Accuracy of  $D_{110}$  and  $D_{190}$  is not as good as that of  $D_{150}$ . The light table underestimates the  $D_{110}$  by 20% on average (111  
21 samples and a standard deviation of 39.0%), and overestimates the  $D_{190}$  by 30% on average (111 samples and a standard  
22 deviation of 26.5%). 71 out of 111 samples show an accuracy of  $\pm 50\%$  for  $D_{110}$  and 91 out of 111 samples show an accuracy  
23 of  $\pm 50\%$  for  $D_{190}$ .

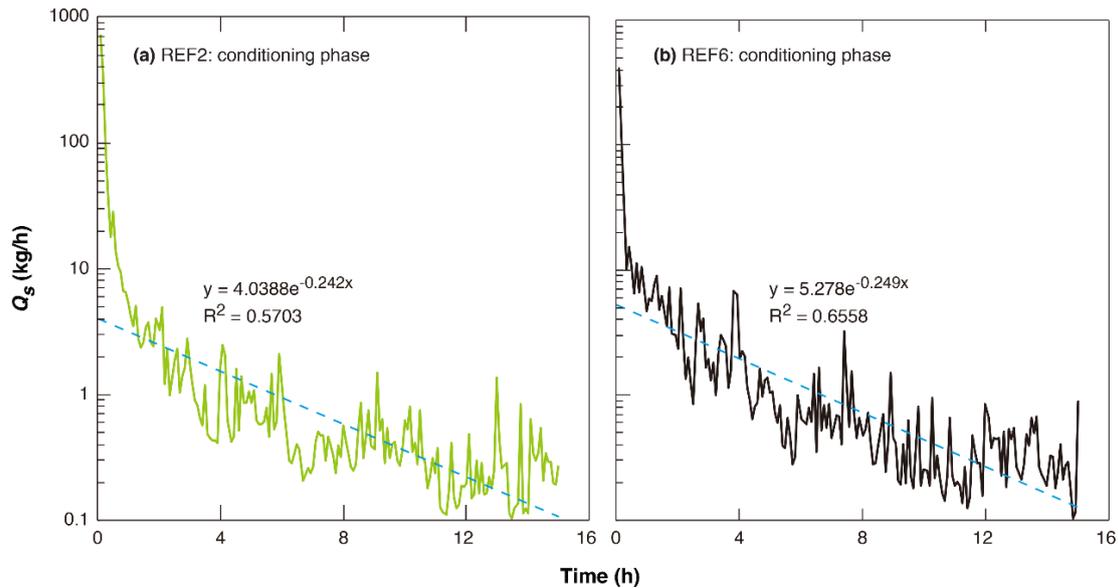


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**Figure S2.** Comparison between the light table data and the sediment trap data for all experiments. (a) Total sediment transport rate; (b)  $D_{10}$ ,  $D_{50}$ , and  $D_{90}$  of the bedload.

### 27 S3. Regression of sediment transport rates against the exponential function

28 In this section, we fit the instantaneous sediment transport rates during the conditioning phase of our experiment by  
29 a two-parameter exponential function. Previous researchers (Haynes and Pender, 2007; Masteller and Finnegan, 2017) have  
30 suggested that the exponential function can be implemented to describe the temporal decrease of sediment transport rate under  
31 conditioning flow. Here two of our experiments with the longest duration of conditioning phase (REF2 (15) and REF6 (15))  
32 are analyzed. Results are shown in Fig. S3. As we can see from the figure, the fitted exponential function can describe the  
33 general decreasing trend of sediment transport rate during the conditioning phase, except at the beginning of the conditioning  
34 phase where the decrease of sediment transport rate is much more significant than predicted by the exponential function.  
35 Moreover, for the two experiments, the exponential function shows very similar values of regression parameters.

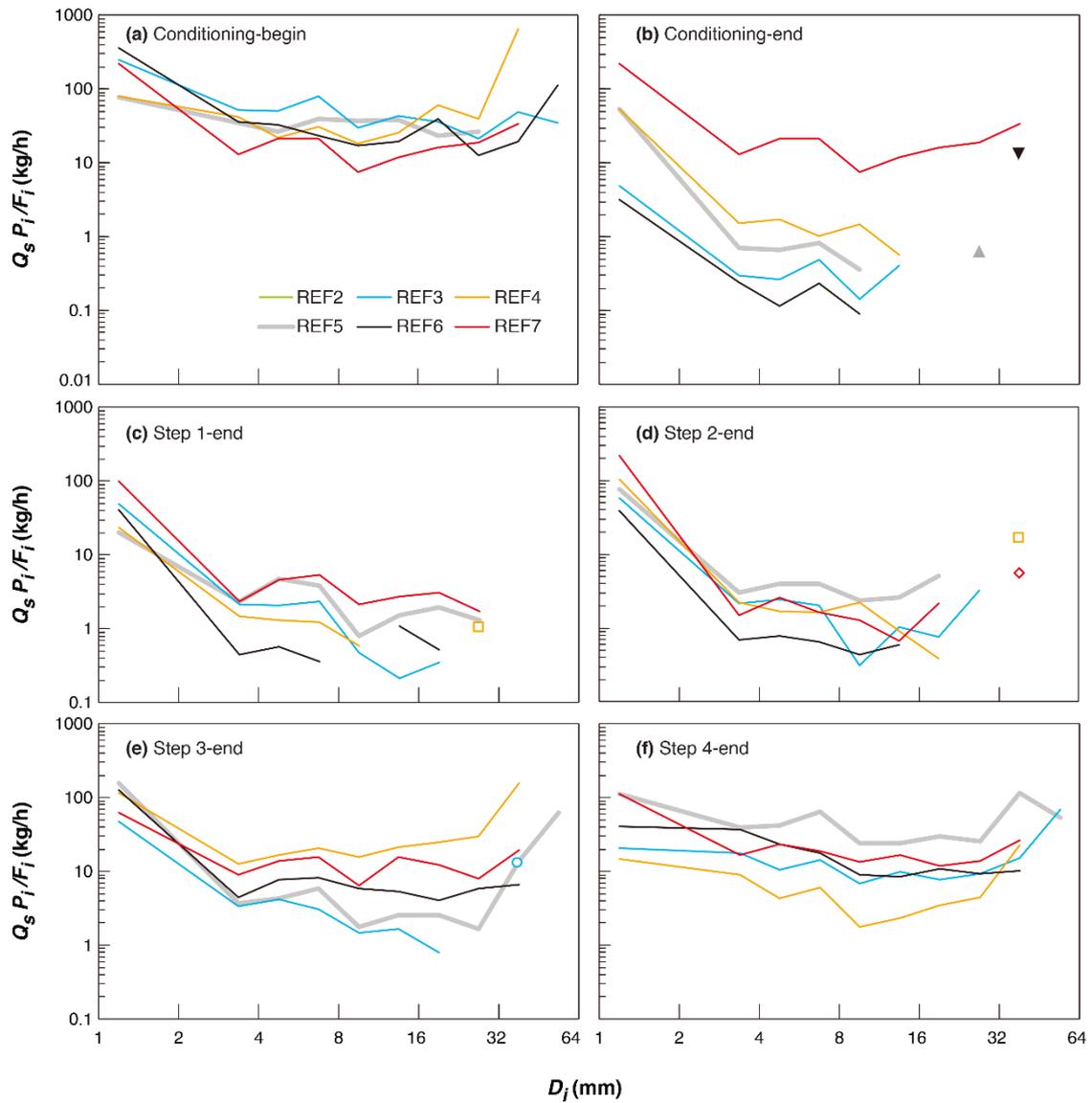


36 **Figure S3.** Regression of sediment transport rates during the conditioning phase, using an exponential function. (a) REF2 (15);  
37 (b) REF6 (15). Solid lines denote instantaneous sediment transport rates measured by light table. Dash lines denote calibrated  
38 exponential functions. The regression parameters and correlation coefficient are also shown in the figure.  
39

### 40 S4. Sediment mobility of each size range during the experiment

41 In this section, we analyze the sediment mobility of each size range during the experiments. Figure S4 shows the  
42 scaled fractional sediment transport rate  $Q_s p_i / F_i$  at different time of the experiment based on the light table data, where  $p_i$   
43 denotes the volume fraction of the  $i$ -th size range in the bedload and  $F_i$  denotes the volume fraction of the  $i$ -th size range on  
44 the bed surface. By scaling on the bed surface fraction, the scaled fractional sediment transport rate thus represents the mobility  
45 of each size range: the larger the scaled fractional sediment transport rate is, the larger is the sediment mobility of this size

46 range. In Fig. S4(a), the sediment mobility of different experiment is similar and each experiment shows an approximately  
47 horizontal line with the grain size, indicating that equal mobility (i.e., the GSD of sediment load matches the GSD of sediment  
48 on bed surface) dominates at the beginning of the conditioning phase. At the end of the conditioning phase (as shown in Fig.  
49 S4(b)), the mobility among experiments becomes different: the shorter the duration of the conditioning phase, the larger is the  
50 overall mobility. Moreover, the experiment with the shortest conditioning duration (i.e., REF7 (0.25)) is still near equal  
51 mobility, except that the mobility of the finest size range is larger than other size ranges. Whereas other experiments have  
52 become partial mobility with evident selective transport for sediment finer than 16 mm and almost no mobility for sediment  
53 coarser than 16 mm. This agrees with the observation by Ockelford et al. (2019) that bedload transport is characterized by  
54 equal mobility with no conditioning flow, but becomes more strongly size selective in the coarse and fine end members of the  
55 distribution as the duration of conditioning flow increases. Two isolated dots are observed at the very coarse end in REF5 (5)  
56 and REF6 (15) due to sampling inaccuracy of the light table. At the end of Step 1 and Step 2, all experiments show evident  
57 selective transport or partial mobility, as shown in Figs. S4(c) and S4(d). With the increase of flow discharge and sediment  
58 supply, the sediment transport regime in all experiments gradually return to equal mobility with coarse particles being  
59 mobilized at the end of Step 3 and Step 4. The difference of mobility among experiments during hydrograph is smaller  
60 compared with that at the end of the conditioning phase, and also becomes no longer correlated with the duration of  
61 conditioning flow.



62  
 63 **Figure S4.** Scaled fractional sediment transport rate at different time of the experiment: (a) start of the conditioning phase ( $t$   
 64 = 15 mins); (b) end of the conditioning phase; (c) end of Step 1 of the hydrograph; (d) end of Step 2 of the hydrograph; (e) end  
 65 of Step 3 of the hydrograph; (f) end of Step 4 of the hydrograph.

66 **References**

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