Reviewer #1
(Responses in blue)

General Comments:
The authors present results of topographic analysis and catchment-scale denudation rates determined using cosmogenic nuclides in the Olympic Mountains of Washington, USA. The goal of the analyses is to assess controls on the spatial patterns of denudation. The authors find that denudation rates scale with multiple metrics of topographic steepness and previously recognized spatial patterns of exhumation. Present day precipitation patterns and the extent of prior glaciation do not explain patterns denudation measured by cosmogenic nuclides.

The finding that denudation rates are not spatially correlated with precipitation, but instead are correlated with tectonic forcing is consistent with findings from a number of recent studies in other mountain ranges. Hence the work contributes to an emerging view on the role of climate in influencing erosion rates in tectonically-active landscapes and is hence appropriate for publication in Earth Surface Dynamics. However, I have a number of comments that should be addressed in a revised manuscript below.

More generally, the manuscript begins (in the abstract) by indicating the role of topographic adjustment by glaciers in setting post-glacial erosion rates is unknown and that there are intense spatial variations in the glacial modification of topography. These statements are both correct, and in the Olympic Mountains there is evidence for spatial variation in topographic modification (e.g., Montgomery, 2002; Prasicek et al., 2014).

However, the manuscript does not exploit the spatial variability in glacial modification to ask whether the degree of topographic modification and Holocene erosion rates scale with glacier size or whether Holocene erosion rates scale with the degree of glacial topographic modification. The manuscript stands on its own without addressing these questions, however, addressing these questions would increase the impact of the manuscript and help determine whether rock uplift alone drives the observed patterns in erosion or whether there is also an additional signature caused by glacier-induced increases in relief.

We agree that this is an important and interesting topic; however, it goes beyond the scope of this manuscript. Such an endeavor would require a new study that focused on quantifying ice volumes and or ELA histories throughout the range. As it stands, evidence of non-eroded moraines is limited to the western side of the range, and estimates of glacier size can only be deduced using the elevations of cirque basins and impeding ice sheet lobes on the eastside of the range, all estimates and observations that we have utilized in this manuscript, and expanded upon in further suggestions below.

Comments:
Line 21-24: It could easily be argued that buildup of topography, high relief, high erosion rates, etc., has also occurred after the onset of Cenozoic cooling and glaciation. Willett (1999) presents results of a modeling exercise, which does not directly support the claims regarding controls on topography and erosion prior to the Cenozoic. Hence it is not clear that these introductory sentences properly motivate the story that follows.

We agree with the reviewer on this topic. However, the point we are making first is that there must have been Cenozoic mountain ranges present in order to form large areas of generally cold landscapes were snow/ice could accumulate to form alpine glaciers. Without this precondition, alpine glaciers would not have formed. After these sentences, we then discuss the idea that glaciers changed topography and erosion thereafter. To communicate this point better we have modified the opening of the Introduction (4th sentence) to read – “This increase
in cooler, higher elevation landscapes created the necessary conditions for alpine glaciers to form in the Late Cenozoic.”

Line 24: ‘between these characteristics’ – please be explicit and write out what is meant by ‘these’

Corrected: This sentence now reads – “Because of the covariation between climate, topography and rock uplift, erosion rates in fluvially dominated orogens have been shown to correlate with climatic and topographic metrics such as precipitation rate, relief, hillslope angle, and channel steepness via linear, non-linear and threshold relationships…”

Line 27: It would be useful to include a citation to a study or studies that document glacier fluctuations on response to climate change.

We have decided to remove this superfluous sentence to make the Introduction more to the point.

Line 47: It is not clear what is meant by ‘efficiency’ and also not clear what data/prior study support that statement.

Corrected: We have changed this sentence to read – “Here we address this uncertainty and test whether Plio-Pleistocene glaciers have masked long-lived patterns of rock uplift as recorded by millennial-scale erosion rate estimates and modern topography.”

Line 158: The description of why effective latitude and altitude values calculated for each catchment do not incorporate temporal variation in production rates needs to be re-visited or further explained. The time-variation in production is caused by temporal variation in earth’s magnetic field. Given the size and elevation range of the catchments sampled, it is not clear (without a calculation to demonstrate it) that using effective altitude and latitude inputs would substantially distort predictions from a time varying production model. Alternatively, simply state the reported values are based on a constant production rate model.

Corrected: This sentence now reads – “We report erosion rates from the CRONUS calculator from the constant production rates determined by the constant production rate models of Lal (1991) and Stone (2000). To enable comparison between new and previous measurements, we recalculated erosion rates from 7 sand samples within the Olympic Mountains previously reported by Belmont et al. (2007).”

Line 194-196: The text explaining why statistics were not performed on subsets of the data is cumbersome, primarily because there first is not a justification for why the data would or could be divided into subsets.

Corrected: We agree these statements are not necessary. These two sentences have been removed.

Line 197: If the regressions account for uncertainty in both variables, then the regression technique should be reported; York or RMA or?

Corrected: The first two sentences of this section now read – “We performed non-linear, least-square regressions on our new and existing erosion rate data. To provide a better sense of the distribution of topographic metrics within a basin, we provide box-and-whisker plots within our bivariate plots, though our regressions discussed in the following sections are based on
mean statistics. We included the uncertainties in both variables by using a Mote Carlo sampling protocol."

Line 199: Given the MSWD statistic is little used in the geosciences outside of isochron geochronology, it would be useful to also report the correlation coefficient (R-squared) values.

We agree that the MSWD is not often used in the geosciences, and find this unfortunate. However, standard $R^2$ values are not appropriate for these regressions as they are not linear, and therefore, $R^2$ values can exceed 1, thus making it a poor indicator of goodness of fit. As the MSWD is a standard data analysis tool that is well documented in text books, and appropriate for the data sets with the properties such as ours we have chosen to use it.

Equations 3 and 4: It should be noted what values were used for K, Sc, and Rc.

There are no set values for K, Sc, and Rc. These values are found through the regression techniques and reported in the following sections.

Line 245: Here (and elsewhere, e.g., line 376) reference is made to the size of glaciers, but the manuscript does not report quantitative measures of glacier size, but instead refers to contours of ELA. Although they may be related, ELA is not the same as 'size'.

Corrected: We have clarified this topic by adding the following text to the background section – “Alpine glaciers were likely active in every valley of the Olympics (Porter, 1964); however, the size of the glaciers was highly variable, as the east flowing glaciers would have been limited to the rugged core of the range by the Cordilleran Ice Sheet (see glacial deposits Fig. 1B). This suggests that the west flowing glaciers may have been nearly twice as long as those flowing east.”

Line 271: A citation reporting the expected 26Al/10Be ratio is needed.

Corrected: A citation to Balco et al 2008 added.

Line 343: An alternative explanation is that normalized channel steepness does not linearly track erosion.

We agree with this observation, and discuss it in a previous section (3.4) when describing our non-linear regression technique.

Line 414: ‘this study’; it is not clear if the phrase relates to the study cited in the previous sentence or to the present manuscript.

Corrected: “this study” changed to “these numerical models” for clarification that the reference was to the previous study.

Line 406: The sentence is asking a question (‘whether’ appears twice), but then needs to end with a phrase that starts: ‘depends on. . .’

Corrected: We have restructured this sentence to be much clearer – “The balance between post-glacial erosion and longer-lived rock uplift depends on whether post-glacial climate conditions (e.g. increase or decrease in precipitation), or topographic perturbations (e.g. hillslope steeping or channel shallowing) have changed the activity of extant surface processes.”
It is not clear that landscapes where glaciers are efficient agents of erosion are necessarily areas where glaciation reduces relief. It seems quite plausible that the excavation of glacial valleys/troughs could increase relief; indeed Montgomery (2002) reports that glacial valleys in the Olympic Mountains have 500 m more relief than fluvial valleys. Hence the text here needs reflect what is known empirically.

Indeed, glacial incision can increase or decrease relief. Whether an increase or decrease is detected is a matter of scale of observation. There are a few studies which have shown this to occur. We have added references to a well-known study (Whipple et al., 2009) and our recent paper in the Olympic Mountains (Adams and Ehlers, 2017) to provide context.

Further, the following conclusion text (through line 423) is rather unsatisfactory, as these conclusions are not at all drawn from the findings presented in the manuscript. Such material could appear in the Discussion, albeit with less generalization, and a more robust discussion.

Corrected: We have moved most of this material to the Discussion section and reshaped the Conclusion.

Line 424-425: References to mismatches between Holocene erosion and rock uplift seem better brought up in the Discussion; i.e., it is sufficient here to indicate there is a general agreement between erosion and rock uplift rates and to make conclusions based on that statement.

Corrected: We have moved most of this material to the Discussion section and reshaped the Conclusion.

Tables: The topographic shielding factor should appear in one of the tables so that all data needed to re-produce the denudation rates are reported in the manuscript (see Frankel et al., 2010, EOS). We have opted to include these data in the supplement for the sake of space in the main manuscript.

Editorial comments:
Line 68: there is a missing word ‘pattern accreted materials’

Corrected: This now reads – “pattern of accreted materials”

Line 108-109 (and elsewhere): Several sentences begin with ‘This’. Replacing ‘This’ with ‘Equation 1. . . ’ or ‘The value of 0.45. . . ’ would be clearer to the reader.

Corrected: Sentences now read – “Eq. 1 normalizes slope values, for the concavity of the channel. For our calculations, we use $\theta = 0.45$. A $\theta$ value of 0.45 has been shown to describe the concavity of fluvial systems in the Olympic Mountains (Adams and Ehlers, 2017).”

Some other instances throughout the text have also bee changed.

Line 144: lowercase ‘v’ in von.

Corrected.

Line 168: there is an extra word at the end of the sentence.
Corrected. The extra “the” has been removed.

Line 220: it would be clearer to indicate that C and p are ‘coefficients’
Corrected.

Line 311-312: this sentence is missing an ending
Corrected. Sentence now reads – “Recent studies suggest that our samples should have natural $^{26}\text{Al}/^{10}\text{Be}$ ratios of ~6.75 (Balco et al., 2008), a value that is very close to most of our measured ratios (Figure 4).”

Line 410: there is extra text here; initials, first names
Corrected.

Figure 2e. The scale bar for erosion rates isn’t very useful, as it is difficult to determine the rates for the catchments with yellow-green color.
Corrected. Scale now runs only from red to blue.

Figure 3. The legend (east-, west-side basins) should appear in the top panel, because the text pointing out the rain shadow effect does not make sense without this information.
Corrected.

Reviewer #2 (George Hilley)
(Responses in blue)
Summary:
This contribution presents 14 new cosmogenically derived erosion rate measurements from the Olympic Mountains, Washington State, USA. These rates are compared to various climate measures, morphometrics, and exhumation / incision proxies to provide insight into the following questions: 1) Is there a discernible imprint of climate gradient on erosion rates measured by these cosmogenic inventories? 2) Is there a signal of disequilibrium conditions recorded by a discrepancy between erosion and exhumation measures over various timescales?, 3) Do landscape morphometrics scale with erosion rates?, and 4) What is the relationship between measured erosion rates and inferred long-term rock uplift rates? The authors generally find that variations in modern climate measures do not scale with measured erosion rates, but, at least at low erosion rates, measures such as local relief and mean channel steepness scale in some way with erosion rates. The authors find that there is a general correspondence between river incision rates, exhumation gauged by low-temperature thermochronology, and modern-day cosmogenically derived erosion rates. As such, even modern (millennial time-scale) erosion rates appear to track long-term exhumation (and perhaps rock-uplift) rates in the Olympics, and that glacial processes do not appear to disrupt landscape equilibrium to an extent that would produce a divergence between modern and long-term measures of erosion of the range.

Recommendation:
This paper presents interesting new data and analyses of an active, glaciated mountain belt, where large precipitation gradients and temporal changes in surface processes may be
expected to leave some imprint on the erosion of the range. The authors finding that, despite these spatial and temporal variations, erosion rates measured over various time-scales are approximately constant, should be of interest to the readership of Earth Surface Dynamics. The study appears thoughtfully conceived and executed, and is written in a clear and concise manner that requires few grammatical changes. Thus, with consideration of the comments below, I would feel comfortable recommending acceptance pending MINOR to MODERATE REVISIONS. Below, I make some general suggestions, as well as some specific comments geared to individual lines in the text.

General Comments:
1) The authors have carried out a detrital 10-Be study that supposes that erosion rates in the catchments are everywhere equal. This is somewhat addressed in the text under the 5.1 section, last paragraph, where the authors discuss the impact of the introduction of dosed and shielded material into their samples. Yet, this does not address the fact that the authors' approach assumes that each point in the basin is equally represented in the sample, as well as the fact that the calculated mean production rate could be biased by increased contributions from different elevation ranges because of the non-linear increase of production rate with elevation. I am not uncomfortable with the authors' assumptions (in addition to the fact that quartz is uniformly distributed in the sourced lithologies). But, given that some of these catchments have a good amount of local relief and lithologic variability leading to heterogeneous quartz "fertility", some discussion of this effect, and its potential impact might be appropriate to include in section 5.1.

Corrected. We have added the following discussion in section 5.1 – "Like a previous study (Belmont et al, 2007) we have assumed that there is no risk to erosion rate calculations due to quartz infertility or proportional quartz sourcing from all parts of our basins in the Olympic Mountains. While there are some quartz-free lithologies in the range, these rocks are a minor occurrence in Olympic Subduction Complex, and we have avoided sampling the Coast Range Terrane completely. In locations where nested catchments are found, erosion rates are with error of each other, suggesting a proportional scouring of quartz from all parts of even the largest sampled basin (compare WA1526, DEN101, and DEN106)."

2) I found the correspondence between river incision, exhumation, model-derived erosion rates, and 10-Be denudation rates compelling. One way in which these relationships could be made more effective and illustrative would be to actually plot the quantities versus one another, rather than distance (Figure 7). I think I understand why the authors plotted these rates in the particular space they did, in that some of the primary studies were carried out within areas that do not overlap with the cosmogenic samples directly, but lie within similar tectonic positions when these data are projected onto a cross section. My reading of the primary literature is that 1) the Clearwater (which I think are the black dots) is located outside of the sampled area shown in Figure 2E, and so must be projected into the sampled basins to be used in this study.

The river incision data (black dots) are within the sampled basins (most the CRN data from the previous study. As such there is substantial overlap between the datasets.

2) The AFT ages are from throughout the range, and so there is probably a good path forward for interpolating these across the sampled basins to calculate point-by-point estimates of exhumation rate, and to use these to quantify basin-averaged exhumation rates within each sampled watershed.
Indeed, we have considered a method very similar to what is being described here. However, we found the method of interpolating/extrapolating to be unsatisfactory as a means of direct comparison with our data for the following reasons. 1) The integrating spatial scales of erosion are not clear for AFT data. What portion of the landscape surrounding a bedrock sample could be exhuming at the rate recorded using AFT data? 2) An interpolating/extrapolating method will create a smooth function between AFT points while the erosion field from CRN data will be discontinuous. 3) The density of AFT data throughout the range is variable, and only 4 of our new samples in the core of the range with acceptable erosion rates contain an AFT sample. Taken together, it would be difficult to constrain the uncertainty introduced into the regression by using interpolated/extrapolated data.

3) Drew Stolar’s modeling study is a profile model, which is fine. But, it is tuned to a specific mean erosion rate that I think was chosen with the AFT exhumation rates in mind. Thus, it is not particularly surprising that the magnitudes match up with what is observed, since the AFT exhumation rates roughly align with the 10-Be rates.

This is a fair point. We have opted to remove these modeling results to make the means of comparison more straightforward.

This is all to say that the most robust and comparable of these datasets appear to be the AFT- and 10-Be-derived rates. To use the other measures, it seems like some sort of projection has to be made, which introduces its own set of assumptions. Please correct me if I am wrong about this. This being the case, it might be interesting to carry out a direct comparison of the most comparable of the datasets, meaning the (interpolated) AFT-derived exhumation rates for each watershed that was sampled for 10-Be. One would then have a direct comparison that could be used to carry out a formal analysis to reveal the strength of correspondence (through regression analysis), the presence / absence of systematic discrepancies between datasets that could reveal more insight into where correspondences are best versus where they might break down to some degree. I feel that a map of the difference between exhumation and erosion rates in the spirit of Figure 2E might be revealing.

Please see comments above for more on this topic. It is true that compressing the data from the Olympic Mountains to a single profile requires some assumptions; however, we believe that this technique introduces less bias, and is less likely to over interpret the data available, than a direct 1:1 comparison of AFT and CRN rates.

Specific Comments:
Lines 115-120: For documentation, it would probably be good to have some description of how you calculated ks. There are a few different solution methods available, and a few different software packages to do this. Quick mention of these would be good for completeness of documentation.

Corrected: We have added a new sentence in this section that reads: “We used the Profiler tool (Wobus et al., 2006) to extract and analyze our river channels, and calculated steepness values over 0.5 km reaches.”

Lines 290-300: The relationship with channel steepness looks good between 0≤e≤600 m/Myr. At higher erosion rates, it does not do so well, even for the samples with reasonable 26Al/10Be.
This appears to be more of an observation (which we completely agree with) than a concern that needs addressing. We have made the same observation and discuss how this pattern may be important in glaciated landscape where topographic relief has been limited by glaciers.

Also, you might consider adjusting your concavity to 0.4, so that you can use the multiplier of the power law to calculate K and compare this to the range for your lithologies via Stock and Montgomery (1999). This will help provide some additional validation.

This is an interesting idea; however, the data and analysis presented here does not allow for the precise vetting of a specific incision law. The power law in Eq 5 may not be recording the stream power law in Stock and Montgomery because our new data may not be in topographic steady-state. To compare the power law coefficient from our data with that of Stock and Montgomery would be an over interpretation.

Lines 310-315: As per general comment 1 above, I don’t think that spatial variations in erosion rates are covered here, meaning that one could have a 6.75 ratio (i.e., no complex exposure history) but your sample might not be representative of all sediment in the basin. Also, I assume that the "deep" landslide mechanism would be one in which dosed material was buried for a long time (a fraction of the 1/2 life of 26-Al) and then reworked into transported sediment. But, I think a "deep" bedrock landslide should still have the 6.75 ratio, since it did not get dosed and re-buried.

This topic is covered in detail above after General Comment 1. In addition, we have removed “deep landslide” reference from this sentence as it was incorrectly added there.
Tectonic controls of Holocene erosion in a glaciated orogen

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Abstract. Recent work has highlighted a strong, worldwide, alpine glacial impact on orogen erosion rates over the last 2 Ma. While it may be assumed that glaciers increased erosion rates when active, the degree to which past glaciations influence Holocene erosion rates through the adjustment of topography is not known. In this study, we investigate the influence of long-term tectonic and post-glacial topographic controls on erosion in a glaciated orogen, the Olympic Mountains, USA. We present 14 new ¹⁰Be and ²⁶Al analyses which constrain Holocene erosion rates across the Olympic Mountains. Basin-averaged erosion rates scale with basin-averaged values of 5-km local relief, channel steepness, and hillslope angle throughout the range, similar to observations from non-glaciated orogens. These erosion rates are not related to mean annual precipitation or the marked change in Pleistocene alpine glacier size across the range, implying that glacier modification of topography and modern precipitation parameters do not exert strong controls on these rates. Rather, we find that despite spatial variations in glacial modification of topography, patterns of recent erosion are similar to those from estimates of long-term tectonic rock uplift. This is consistent with a tectonic model where erosion and rock uplift patterns are controlled by the deformation of the Cascadia subduction zone.

1 Introduction

Before the onset of Late Cenozoic cooling and glaciation, the topographic expression of mountain belts resulted from tectonic processes, and the fluvial and hillslope processes which acted as the primary agents of erosion. High rock uplift rates in many of these ranges led to the buildup of topography and in some cases high relief, steep river channels and hillslopes, and commensurate high erosion rates (Willett, 1999). Because of the covariation between climate, topography and rock uplift, erosion rates in fluvially dominated orogens have been shown to correlate with climatic and topographic metrics such as precipitation rate, relief, hillslope angle, and channel steepness via linear, non-linear, and threshold relationships (Ahnert, 1970, Montgomery and Brandon, 2002, Ouimet et al., 2009, DiBiase et al., 2010). Development of rugged mountain belts led to an increase in cooler, higher elevation landscapes, which created the necessary conditions for alpine glaciers to form in the Late Cenozoic. These glaciers possessed variable capacity to erode at the same rate as the rivers that existed before them, and regional rock uplift rates. In many mountain ranges, glaciers appear to have accelerated erosion (Hallet et al., 1996, Shuster et al., 2005, Ehlers et al., 2006, Valla et al., 2011, Herman et al., 2013, Christeleit et al., 2017, Michel et al., 2018), while in other areas, glaciers may have done little to change erosion rates over the past few million years (Koppes and Montgomery, 2009, Thomson et al., 2010, Willenbring and von Blanckenburg, 2010).

As a result of Cenozoic climate change, the relationships between topographic metrics and observed Holocene (last ~12 kyr) erosion rates in glaciated mountain ranges are more complex than in purely fluvial settings (Moon et al., 2011, Godard et al., 2012, Glotzbach et al., 2013). These poorly understood relationships are likely caused for two reasons. (1) Glaciers reorganized previously fluvial channel networks and relief to create a landscape with their preferred geometry,

Holocene erosion rates may be dominated by transient signals as surface processes remove the topographic disequilibrium imposed by glacial erosion (Moon et al., 2011).

In light of the previous studies, what remains uncertain is how much (if any) signal of tectonic processes can be discerned from a heavily glaciated orogen, and the degree to which common relationships between erosion and topographic metrics hold in post-glacial landscapes. Here we address this uncertainty and test whether Plio-Pleistocene glaciers have masked long-lived patterns of rock uplift as recorded by millennial-scale erosion rate estimates and modern topography. To do so, we have conducted a systematic study of basin-averaged erosion rates from $^{26}$Al and $^{10}$Be concentrations in modern river sediments from the Olympic Mountains, USA (Fig. 1). The Olympic Mountains are well suited for this study because the efficiency of Plio-Pleistocene glaciers was controlled by spatially variable glacial mass balance, and the orogen has been shown to contain a wide range of rock uplift rates. We use our new data, in addition to $^{26}$Al concentrations from a previous study (Belmont et al., 2007), to investigate the spatial variations in erosion rates with respect to characteristics of the modern topography including local relief, hillslope angle, and channel steepness, as well as precipitation. Further, we utilize $^{26}$Al/$^{10}$Be ratios, and new modelling efforts to investigate the degree to which cosmogenic nuclide inventories can accurately constrain erosion rates in glaciated mountain ranges.

2 Background

The Olympic Mountains are part of a chain of mountain ranges that define the forearc high of the Cascadia subduction zone (Fig. 1A). This forearc high marks the topographic and structural apex of an accretionary wedge which formed between the North American plate and the subducting Juan de Fuca plate (Tabor and Cady, 1978). The core of the range is comprised of an essentially unmetamorphosed, homogenous assemblage of medium- to fine-grained, greywacke interbedded with minor siltstone, mudstone, conglomerate, and basalt lenses. This group of rocks is referred to as the Olympic Subduction Complex, and is located in the footwall of the Hurricane Ridge Fault (Fig. 1). Pillow basalts, breccias, volcaniclastic rocks and diabase make up the hanging wall of the fault, referred to as the Coast Range Terrane. Sedimentological and bedrock cooling histories suggest accelerated rock uplift and unroofing of the range began around 17-12 Ma (Tabor and Cady, 1978, Brandon et al., 1998). Rock uplift rates have been interpreted across the range from Neogene thermochronometric exhumation rates (apatite fission track) and Quaternary river incision rates (Pazzaglia and Brandon, 2001). These rates vary from ~300 m/Myr at the fringes of the range to ~800 m/Myr in regions close to the geographic center of the range, forming a concentric pattern. Previous interpretations of these erosion rates suggest that they are governed by rock uplift rates (Brandon et al., 1998, Pazzaglia and Brandon, 2001, Batt et al., 2001, Bendick and Ehlers, 2014). In most orogenic wedges, the rock velocity field is governed by the subducting plate geometry and convergence rate, as well as the pattern of accreted materials from the subducting plate (Willett, 1999). The Olympic Mountains are thought to be no different (Batt et al., 2001); however, the subduction zone dynamics are complicated by the significant arch in the subducting Juan de Fuca plate and the dome of accreted sedimentary units that make up the east-plunging Olympic Anticline (Brandon and Calderwood, 1990). Indeed, it is likely that these nuanced characteristics of the subduction zone may be responsible for the observed concentric pattern in erosion/rock uplift rates (Brandon et al., 1998, Pazzaglia and Brandon, 2001, Batt et al., 2001, Bendick and Ehlers, 2014).

The Olympic Mountains have a general dome shape where the major drainages exhibit a radial pattern. The dome is asymmetric where the locus of highest topography lies to the northeast of the range divide (Fig. 1B). Plio-Pleistocene alpine
glaciers carved large valleys in the core of the range (Porter, 1964, Montgomery and Greenberg, 2000, Montgomery, 2002, Adams and Ehlers, 2017). The largest glaciers which occupied the Hoh, Queets and Quinault valleys all extended to the Pacific Ocean (Fig. 1B) (Thackray, 2001). Alpine glaciers were likely active in every valley of the Olympics (Porter, 1964); however, the size of the glaciers was highly variable, as the east flowing glaciers would have been limited to the rugged core of the range by the Cordilleran Ice Sheet (see glacial deposits Fig. 1B). This suggests that the west flowing glaciers may have been nearly twice as long as those flowing east. Due to the W-SW prevailing wind direction and the effects of topography on precipitation patterns, mean annual precipitation values decrease from ~6000 mm/yr in the southwest to less than 500 mm/yr in the northeast (Fig. 2A). This same precipitation gradient greatly influenced the Pleistocene equilibrium line altitude (ELA; the position where the ice flux in a glacier is at a maximum), and created an opposing pattern where the ELA increases at a rate of ~ 25 m/km toward the northeast (Porter, 1964) (Fig. 1B), thus controlling the size and efficiency of alpine glaciers (Adams and Ehlers, 2017). The range was bordered to the north and east by the Cordilleran Ice Sheet (Fig. 1B) (Porter, 1964), which also likely restricted the size of alpine glaciers. This dichotomy in glacier size and erosional capacity is likely to have influenced the pattern in erosion rates during glacial times. A recent study by Michel et al. (2018) shows that bedrock cooling histories record a near doubling of exhumation rates around the time of the onset of glaciation (2 Ma). This effect is most pronounced on the west side of the range, where valley glaciers were larger. While the impact of Plio-Pleistocene glaciation on more recent erosion has not been previously quantified, the suggestion of significant glacial erosion would imply that Holocene erosion rates may not simply be a function of rock velocities as suggested by older erosion histories discussed above.

3 Methods

3.1 Topographic analysis

Our topographic analysis is based on the 10 m National Elevation Dataset provided by the United States Geological Survey (www.ned.usgs.gov). Within this paper we calculate three topographic metrics which record relief at different spatial scales and controlled by different surface process – hillslope angle, local relief, and channel steepness. Each metric also has strengths and weaknesses in quickly eroding, glaciated ranges. There is good evidence that hillslope angle values can reach maximum values due to the limitations of the internal angle of friction of hillslope materials. In such high erosion areas, hillslope angle values become insensitive to changes in erosion rates (Schmidt and Montgomery, 1995). Local relief values may also be limited in glaciated ranges due to the buzzsaw effect, whereby efficiently eroding glaciers increase the area near their ELA and thus control mean elevations and restrict relief locally (Meigs and Sauber, 2000, Brozović et al., 1997). Our local relief (R) map (Fig. 2B) was made by calculating the difference between the highest and lowest elevations within a 5 km-diameter circular window. The local relief metric is designed to encapsulate the relief of hillslopes and channels. The size of this window captures the elevation difference between peaks and valley floors of medium sized basins, but is small enough to detect changes in the relief structure of large drainage basins. The hillslope gradient (S) map (Fig. 2C) was calculated by finding the steepest angle of descent across a 3 x 3 pixel (30 x 30 m) square window. The channel steepness map (Fig. 2C) was created by adjusting channel gradients (S) (m/m) by the non-linear change in downstream drainage area (A) (m²) (Hack, 1957, Flint, 1974, Wobus et al., 2006):

\[ S = k_s A^{-\theta} \]  

where \( k_s \) is the channel steepness, and \( \theta \) (dimensionless) is the channel concavity. Eq. 1 normalizes slope values, for the concavity of the channel. For our calculations, we use \( \theta = 0.45 \). A \( \theta \) value of 0.45 has been shown to describe the concavity.
of fluvial systems in the Olympic Mountains (Adams and Ehlers, 2017). Since we utilize a single value of \( q \), we report normalized channel steepness values \( (k_{sn}) \) (m\(^2\)/m). We used the Profiler tool (Wobus et al., 2006) to extract and analyze our river channels, and calculated steepness values over 0.5 km reaches. To report a mean value for a basin we calculated the mean normalized channel steepness for all portions of a basin, which are governed by fluvial processes, which generally occurs at drainage areas > 1 km\(^2\).

Normalized channel steepness index \( (k_{sn}) \) analysis, which quantifies channel relief, has been used successfully in a number of mixed fluvial and glacial landscapes as a fine scale measure of the erosion potential of glacial/fluvial processes in a landscape (Montgomery, 2001, Brardinoni and Hassan, 2006, Brardinoni and Hassan, 2007, Brocklehurst and Whipple, 2007, Robl et al., 2008, Hobley et al., 2010, Glotzbach et al., 2013, Adams and Ehlers, 2017). Many assumptions generally that are adopted in purely fluvial settings do not apply in mixed glacial-fluvial landscapes. For instance, in our study we do not require that the Olympic Mountains are in topographic steady-state (where erosion and rock uplift at a point are balanced and therefore elevations remain constant over time), nor do we imply that our slope-area analysis relates directly to the processes of glacial incision, or that rock uplift rates need to be spatially uniform. We emphasize that the normalized channel steepness index provides a robust, geometric construct for understanding the importance of spatial changes in channel relief without demanding an understanding of all parameters within a specific incision law (fluvial or glacial). Furthermore, channel relief is likely to control the relief and hypsometry of landscapes, even in glaciated ranges (e.g. Adams and Ehlers, 2017). Unlike hillslope angle calculations, channel steepness values may be able to record changes in erosion/rock uplift rates in regions where hillslopes have reached a threshold (Ouimet et al., 2009).

### 3.2 Processing sediment samples and calculating erosion rates

Basin-averaged erosion rates were calculated from concentrations of cosmogenic nuclides \((^{10}\text{Be} \text{ and } ^{26}\text{Al})\) in quartz sand from modern river basins throughout the Olympic Mountains (see Fig. S1 for sample location detail). Detrital cosmogenic techniques record the average erosion/denudation rate (we note that rates presented here incorporate both physical and chemical means of mass removal) integrated across the landscape upstream of the sample location (Brown et al., 1995, Granger et al., 1996, Bierman and Steig, 1996). Basins were selected to ensure a thorough sampling across precipitation, Pleistocene ELA, rock uplift, and topographic gradients. These basins are located within the Olympic Subduction Complex, where quartz is ubiquitous throughout the landscape.

Initial attempts to separate pure aliquots of quartz sand proved difficult due to the fine-grained nature of the lithologies found throughout the range. To reduce the need for aggressive hydrofluoric acid treatment, which would prematurely dissolve the quartz, we first disaggregated the 250-1000 µm sand fraction with a Selfrag, a high-voltage pulse disaggregator, at the University of Bern, Switzerland. After electronic disaggregation, sediments were re-sieved to 125-1000 µm and separated using a strong magnetic field and then cleaned in concentrated, room temperature aqua regia for 24 hours. Samples were further cleaned in boiling pyrophosphoric acid and then boiling sodium hydroxide at least 3 times. The quartz was then leached 1% hydrofluoric acid while in an ultrasonic bath for 1 week. A final leach was performed on the samples with concentrated hydrofluoric acid before spiking with beryllium. Samples were not spiked with aluminum. Beryllium and aluminum were separated, oxidized and loaded into cathodes for mass spectrometer analysis using established protocols (Von Blanckenburg et al., 1996). Native Al concentrations within samples were measured with an inductively-coupled plasma optical emission spectrometer.
spectrometer at the University of Tübingen. Beryllium and aluminum ratios were measured at the University of Cologne Centre for Accelerator Mass Spectrometry.

To calculate erosion rates, we followed the approach of Portenga and Bierman (2011), which simplifies each basin to a single point where the production rate is equal to the mean production rate of the entire basin, enabling the use of the CRONUS online calculator (Balco et al., 2008). Basin-averaged production rates were based on the elevation and latitude of each pixel in a basin using the scheme of Stone (2000). The effective elevation and latitude of each basin are the elevation and latitude values corresponding to this mean scaling factor (Table S1). We calculated topographic shielding due to obstacles according to the equations of Dunne et al. (Dunne et al., 1999), and snow shielding from the equations of Gosse and Phillips (Gosse and Phillips, 2001). Pixels under extant ice are assumed to be 100% shielded. Our snow depth maps are based on satellite snow cover data that were calibrated by snow depth observations in the Olympic Mountains (see Supplement for more details). For CRONUS calculations, the following inputs were used: Elevation Flag = std, Thickness = 1 cm, Density = 2.7 g/cm$^3$, Be Standard = 07KNSTD, Al Standard = KNSTD. We report erosion rates from the CRONUS calculator from the constant production rates determined by Lal (1991) and Stone (2000). To enable comparison between new and previous measurements, we recalculated erosion rates from 7 sand samples within the Olympic Mountains previously reported by Belmont et al. (2007).

### 3.3 Isotopic equilibrium modeling

The application of detrital cosmogenic nuclide techniques as an estimator of basin-averaged erosion rates in post-glacial landscapes is not yet a common practice as there is a high potential for violation of the assumptions inherent to the calculation of erosion rates from nuclide concentrations. The assumptions that can be most problematic for a glacial terrain are: the eroding materials are in isotopic equilibrium; and modern river sediment is spatially and temporally representative of all sediment in the basin. To explore the nature of isotopic equilibrium we describe new modeling efforts in this section. The topic of sediment storage and mixing is discussed in Sections 4.2 and 5.1. Surface materials are in isotopic equilibrium when the production of cosmogenic nuclides is balanced by their removal through erosion and radioactive decay (this state the concentration of nuclides in surface materials is steady over time). Since glacial ice intercepts, and thus shields underlying material from cosmic radiation, previously and currently glaciated basins may violate the isotopic equilibrium assumption if ice was present recently, as nivation has not been able to remove the older shielding signal (Moon et al., 2011, Portenga et al., 2014, Vance et al., 2003). Therefore, interpreting cosmogenic nuclide concentrations as direct measurements of erosion in some glaciated landscapes can lead to overestimated rates (Gosse and Phillips, 2001, Vance et al., 2003, Portenga et al., 2014).

To test the hypothesis that our samples are in isotopic equilibrium we conducted a suite of numerical models to constrain the evolution of the concentration of cosmogenically produced nuclides at depth, starting at a time just after a period when ice completely shielded surface production. When the model starts, production occurs according to the equations of Anderson et al. (1996):

$$N(z, t) = N_0 e^{-\lambda t} + \frac{P_0}{\Lambda} e^{-\lambda/\Lambda} (1 - e^{-(1+\lambda/E \Lambda) t})$$

where $N$ is the cosmogenic nuclide concentration (atoms/g), $t$ is time (yr), $N_0$ is the inherited concentration of cosmogenic nuclides (atoms/g), $E$ is the erosion rate (cm/yr), $\lambda$ is the decay constant for $^{10}$Be (1/yr), $\Lambda$ is the depth below the surface (cm), $P_0$ is the $^{38}$Be production rate at the surface (atoms/g/yr), $\Lambda$ is the attenuation length for cosmogenic nuclide production (g/cm),
and $\rho$ is the material density (g/cm$^3$). In our models the following values were used: $\lambda = 4.99\times10^{-7}$ yr$^{-1}$, $P_s = 10$ atoms/g/yr (though the results of this model are not sensitive to this value), $\lambda = 160$ g/cm$^3$ $\rho = 2.7$ g/cm$^3$.

Using a finite difference method, the model runs forward from the time of unshielding, and surface concentrations increase over time as production occurs, and deeply shielded materials are eroded from the top of the model. The concentration at the surface is compared to the steady-state value to assess the approach toward isotopic equilibrium. A range of erosion rates which span the observed erosion rates in this study are tested.

### 3.4 Relationships between erosion rates and basin parameters

We performed non-linear, least-square regressions on our new and existing erosion rate data. To provide a better sense of the distribution of topographic metrics within a basin, we provide box-and-whisker plots within our bivariate plots, though our regressions discussed in the following sections are based on mean statistics. We included the uncertainties in both variables by using a Monte Carlo sampling protocol. Goodness of fit values were determined by the mean square weighted deviation (MSWD). For well-fit data, MSWD values tend toward 1 within an uncertainty based on the degrees of freedom (based primarily on the number of samples). Elevations and other basin parameters are caused by the high degree of inter-sample variability and suggest (1) the two variables shown in the plot are highly correlated, (2) a more complex function exists between the two variables, or (3) that uncertainties are underestimated.

As a means to assess the relationship between erosion and hillslope processes we use a variation of the non-linear relationship proposed by Roering et al. (2001), which captures the effects of diffusive processes and landsliding:

$$E = \frac{KS}{1-\left(\frac{S}{S_c}\right)^2}$$

where $E$ is the basin-averaged erosion rate (m/Myr), $K$ is a rate constant related to the diffusivity of the eroding material (m/Myr), $S$ is the basin-averaged hillslope gradient (m/m), and $S_c$ is a critical slope at which soil flux approaches infinity (m/m).

We used a similar equation from Montgomery and Brandon (2002) to explore the relationship between erosion rates and 5-km local relief:

$$E = \frac{KR}{1-\left(\frac{R}{R_c}\right)^2}$$

where $K$ is a different rate constant (m/Myr), $R$ is the basin-averaged local relief normalized by the diameter of the moving window (m/m), and $R_c$ is a limit to the possible values of local relief normalized by the diameter of the moving window (m/m).

Previous studies have suggested that channel steepness values can vary spatially according to a relationship with basin-averaged erosion rates through a stochastic threshold model of fluvial channel incision (DiBiase et al., 2010). Such a model generally produces a non-linear relationship. However, using a model based solely on fluvial incision in the Olympic Mountains would be misleading as the modern river channel likely still reflect the preferred geometry of Plio-Pleistocene glaciers (Adams and Ehlers, 2017). Instead, we implemented a least-squares power function regression to explore possible connections between erosion and channel steepness, similar to other recent studies (Scherler et al., 2013):

$$E = C_k^{m_p}$$

where $C$ is the coefficient, and $p$ is the exponent. We used the same least-squares routine to analyze the relationship between erosion and precipitation (e.g. replace $k_{sn}$ with the mean precipitation in Eq. 5).
4 Results

4.1 Topographic analysis

The topography of the Olympic Mountains is a mixture of high glacial cirque basins, wide and flat-floored valleys at low elevations, and landscapes in between. This juxtaposition of varied landscapes creates skewed and multi-modal distributions of topographic metrics within drainage basins throughout the range (Table 1 and 2, Fig. 2B, 2C and 2D). While it is useful to report arithmetic means of basin statistics to simplify a landscape, it can often be difficult to constrain the significance of such means in the context of their relation to erosion rates. In complex landscapes not defined by uniform and steady surface processes, like the Olympic Mountains, normally distributed topographic metrics with good central tendency are unlikely, especially for metrics which capture fine spatial scale processes like those occurring at the scale of hillslopes and channel segments. To provide a better sense of these distributions, we have included simplified histograms next to our reported statistics in Table 1 and 2. Because of this size limitation we are not able to calculate an accurate channel steepness value for one of basins from a previous study, U-WC (Belmont et al., 2007).

Basin-averaged hillslope angles are generally high, in most cases above 28°, as is the standard deviation of hillslope angles within each basin (mean 2σ = 21°) (Table 2 and Fig. 2C). Basin-averaged channel steepness values range between 23 and 181 m/Myr, and also have proportionally large standard deviations (mean 2σ = 89 m/Myr) (Table 2 and Fig. 2D). Basin-averaged local relief values (calculated within a 5 m diameter window) range between 350 and 1443 m (Table 2 and Fig. 2B). Relative to hillslope angle and channel steepness values, local relief values exhibit smaller variance within sampled basins (mean 2σ = 219 m). The lower-elevation basins on the western flank of the range, which evaded Last Glacial Maximum (LGM) alpine glaciers (Thackray, 2001, Belmont et al., 2007), have the lowest topographic metric values of the sampled basins (8 basins: mean R = 544, mean S = 23, mean k_sn = 43). The mean values from the 8 glaciated, west side basins and the 6 glaciated, east side basins are effectively the same: mean R = 1296, mean S = 31, mean k_sn = 151; and mean R = 1239, mean S = 31, and mean k_sn = 143, respectively. Despite the rain shadow and the significant discrepancy in the size of alpine glaciers across the range divide, there is no difference in topographic metrics within the rugged core of the range across the divide.

There is a high degree of correlation between some basin-averaged precipitation values and basin-averaged elevation (Fig. 3A.), as would be expected from the PRSIM precipitation dataset which includes an orographic precipitation model to do reanalysis simulations (Daly et al., 1994). This correlation is only strong on the western flank of the mountain where the topographic and precipitation gradients are smoothest. These same sub-group of basins also exhibit a strong correlation between basin-averaged hillslope angle and basin-averaged elevation (Fig. 3B). However, there is no correlation between elevation and precipitation or hillslope angle in the core of the range. There is good correlation between basin-averaged elevation and both basin-averaged local relief and channel steepness (Fig. 3C-D), across the range.

4.2 Cosmogenic basin-averaged erosion rates

While we present both 10Be and 26Al data (Table 3, see Tables S1 and S2 for complete nuclide analysis), we focus our analysis on erosion rates derived from 10Be in this study (Fig. 2E) to provide a means of comparison with existing data from the Olympic Mountains (Belmont et al., 2007). To a first order, basins located at elevations < 1000 m have been eroding at slow rates, all less than 240 m/Myr, whereas basins in the higher, rugged core of the range have higher erosion rates reaching over 1400 m/Myr (Table 3 and Fig. 2E). We obtained the highest apparent erosion rates (> 1500 m/Myr) from the flanks of Mount Olympus, whose drainages contain the largest extant glaciers in the Olympic Mountains (basins WA1519, WA1523, WA1524). However, the very low 10Be concentrations (i.e. high apparent erosion rates) from Mount Olympus may be a
signature of isotopic disequilibrium. Samples WA1519, WA1523, and WA1524 come from basins which likely contained thick ice the longest, and still have small valley glaciers today. The $^{10}$Be abundances for these three basins only range from 5-7 times the $^{10}$Be blanks. These low abundances are likely caused by the shielding of rock and soil below glaciers. Such low measurements not only increase in the internal uncertainty of the concentration calculation, but also raises questions about the accuracy of the erosion rate calculation and interpretation. For this reason, we do not include these basins in our regression analysis.

Sample $^{26}$Al/$^{10}$Be ratios from the Olympic Mountains mostly vary between 8.5 ± 3.5 (2σ) and 4.7 ± 1.6 (2σ) (Table 3 and Fig. 4). Nearly all samples have $^{26}$Al/$^{10}$Be ratios that are statistically indistinguishable from the expected naturally occurring ratio (6.75; Balco et al., 2008) (Table 3 and Fig. 4), suggesting that the sediments in our samples record a relatively simple erosion rate history over the integration time. As such, there is no significant influence of reworking older sediments in our measurements. Furthermore, because our erosion rate calculations assume a natural production rate ratio of 6.75, and our measured ratios are mostly indistinguishable from this value, $^{10}$Be and $^{26}$Al derived erosion rates are statistically indistinguishable, though the $^{26}$Al derived rates are much less precise (Table 3). Two samples from Mount Olympus basins, WA1519 and WA1523, have much lower ratios.

Snow shielding can reduce production rates, and therefore, reduce calculated erosion rates by up to 16% in the core of the range, but only ~3% reduction is found in lower elevation basins on the western flank (Table S3). While it is difficult to assess our snow shielding estimates, we note the relative effect on erosion rates is similar to those based on snow-depth measurements within other snowy orogens (Wittmann et al., 2007, Norton et al., 2010, Scherler et al., 2013).

4.3 Isotopic equilibrium modeling

As seen in Eq. 2 the likelihood of being in isotopic equilibrium for any cosmogenic radionuclide is mostly controlled by the time since deglaciation and the local erosion rate (assuming an inheritance of zero). Figure 5 illustrates that quickly eroding terrains more quickly remove ice-shielded materials, and thus, these terrains can each a new equilibrium state faster after the ice recedes. In fact, our model output suggests that at relatively low erosion rates (~100 m/Myr), terrains can achieve isotopic equilibrium in a few thousand years. These results suggest that the cosmogenic nuclide inventories from many glaciated landscapes on Earth could record accurate erosion rates (barring other complicating factors).

4.4 Relationships between erosion rates and basin parameters

Our best-fit curve (MSWD = 17) supports the observed relationship between hillslope gradient and erosion is controlled by a critical slope value of 37° and a rate constant of 250 m/Myr (Fig. 6B). These parameters fit our data considerably better than the previous boundary conditions suggested by Montgomery and Brandon (2002) for the Olympic Mountains ($S_c = 40°$, $K = 500$ m/Myr, MSWD = 54). Our regressions also record a limited local relief of 1820 m ($K = 0.24$ m/Myr, MSWD = 4.3) (Fig. 5A). These parameters are also different than those of Montgomery and Brandon (2002) based on rates from low-temperature thermochronometry ($R_c = 1500$, $K = 0.25$ m/Myr, MSWD = 13). Regressions from the least-squares technique shows a best-fit, nearly-linear model (i.e. the exponent is 0.98) for the relationship between erosion and channel steepness (Fig. 5C). The least-squares technique demonstrates that there is no strong linear or non-linear relationship between erosion and precipitation across the range (Fig. 5D).

5 Discussion
5.1 Reliability of cosmogenic erosion rates in the glaciated Olympic Mountains

While there are still a few minor extant valley/cirque glaciers, the Last Glacial Maximum occurred in the Olympic Mountains ~17 ka (Thackray, 2008). Therefore, most of our samples should largely reflect post-glacial erosion rates. Isotopic equilibrium model results show that even the slowest eroding landscapes in the Olympic Mountains could achieve isotopic equilibrium within ~3000 yrs (Fig. 5). Furthermore, the slowest eroding basins from the western flank of the range did not contain valley glaciers during the LGM (Thackray, 2001), and thus, these samples are even less likely to violate the isotopic equilibrium assumption. The most recently deglaciated portions of the range are in the rugged core, where erosion rates are also higher, and where some landscapes can reach isotopic equilibrium in less than 1500 yrs (Fig. 5).

In landscapes where the cosmogenic nuclide inventories are a function of constant exposure or constant erosion, the ratio of $^{26}$Al to $^{10}$Be within sediments can be predicted based on the modeled (Lal, 1991, Balco et al., 2008) or measured (Corbett et al., 2017) ratios. Recent studies suggest that our samples should have natural $^{26}$Al/$^{10}$Be ratios of ~6.75 (Balco et al., 2008), a value that is close to most of our measured ratios (Figure 4). Therefore, we find it unlikely that sediment storage and reworking (e.g. from terraces or moraines) has violated our assumptions that modern sediments record a representative sample of all sediment in the basin. If anomalously low concentration quartz was introduced into our samples via incision of older deposits (glacial or fluvial), we would expect to see depressed $^{26}$Al/$^{10}$Be ratios. Similar to previous work (Belmont et al., 2007) we have assumed that there is no risk to calculated erosion rates due to quartz infertility or proportional quartz sourcing from all parts of our basins in the Olympic Mountains. While there are some quartz-free lithologies in the range, these rocks are a minor occurrence in the Olympic Subduction Complex, and we have avoided sampling the Coast Range Terrane completely. In locations where nested catchments are found, erosion rates are within error of each other, suggesting a proportional scouring of quartz from all parts of even the largest sampled basin (compare WA1526, DEN101, and DEN106).

5.2 Interpreting relationships between erosion and basin metrics

In landscapes with high fluvial and/or glacial erosion, soil production and hillslope transport may not be able to adjust to channel incision. In such a case, hillslope angles steepen and tend toward a threshold that is controlled by the strength of the material (Schmidt and Montgomery, 1995). Once hillslopes reach such a threshold, increases in erosion can only occur with a commensurate increase in hillslope failure (Burbank et al., 1996), and the form of these hillslopes are no longer sensitive to changes in erosion. However, the gradients of channels in these very steep landscapes are generally much lower than the internal angle of friction, and as such, still have the capacity to adjust to increases in erosion rate. Therefore, it has been suggested that the morphology of channels is a more robust metric to detect erosion rate variations (Ouimet et al., 2009, DiBiase et al., 2010).

Our data show that basin-averaged hillslope angles cease to increase in basins eroding faster than ~300 m/Myr (Fig. 6B). This limit has been observed in many of the landscapes around the world (DiBiase et al., 2010, Ouimet et al., 2009, Montgomery and Brandon, 2002, Ouimet et al., 2009). Basin-averaged hillslope angle values trend to reach a maximum around 34°, as also shown by Montgomery (2001) using 100 km$^2$ grids across the Olympic range. The extent to which these threshold hillslope angles are indicative of rock uplift rates or glacial modification is not completely clear. While it is possible that the weak lithologies and fast erosion rates of the Olympic Mountains may be setting these threshold hillslopes, it has also been documented that hillslope angles have likely increased throughout the range via glaciers widening valleys (Montgomery, 2002, Adams and Ehlers, 2017), or eroding headward and migrating ridge tops (Adams and Ehlers, 2017).
Similarly, basin-averaged local relief values do not exceed ~1350 m despite increasing erosion rates (Fig. 6A). This apparent threshold may be due to the influence of the glacial buzzsaw effect, whereby efficiently eroding alpine glaciers have controlled the mean and range of elevations during the Plio-Pleistocene. If these local relief values are limited due to glacial incision, then this would be a transient topographic signal, and imply that local relief could have been higher in the past. As such, we do not suggest that the non-linear fit parameters for hillslope and local relief data presented here are related to topographic steady-state conditions; however, our fit parameters are not very different from those relating topography to long-term erosion rates (Montgomery and Brandon, 2002). Glaciers may have also reduced channel steepness values while active in the Plio-Pleistocene by incising into channel floors more deeply than rivers had previously (Adams and Ehlers, 2017). This effect may be seen in the apparent limit of channel steepness around 160 m° (Figure 6C).

What is clear from these regressions is that in as much as relationships between modern topography and erosion exist based on cosmogenic data in the Olympic Mountains (Montgomery and Brandon, 2002), so do relationships between modern topography and detrital cosmogenic erosion rates. One advantage to using detrital studies is the obvious choice for an erosion integration area (i.e. the average erosion rate is integrated across the area of the sampled basin), as opposed to selecting a given area around a specific point in the landscape for a bedrock sample. Indeed, subtle changes in the sampling area throughout the Olympic Mountains can have a large influence on the calculated topographic metric (i.e. changing the radius of a circle around a point can add topography across a drainage divide). However, there is a greater uncertainty regarding the integration timescale of cosmogenic rates in that it can often only be assumed that rates only integrate over hundreds to thousands of years. Our analyses provide good evidence for relationships between topographic metrics and basin-average erosion rates, which are likely the result of long-lived Miocene tectonics (Brandon et al., 1998), and Plio-Pleistocene climate change (e.g. hillslope gradient, local relief, channel steepness) (Porter, 1964, Montgomery and Greenberg, 2000, Montgomery, 2002, Adams and Ehlers, 2017). The key question remaining for this study area, and similarly glaciated and tectonically active orogens elsewhere is - what are the controls on post-glacial erosion rates?

5.2 Orogenic processes governing erosion rates

With our new and previously published erosion rates, we have made several important observations in the previous sections that we elaborate on below. These observations are: 1) There is no relationship between precipitation and Holocene erosion rates across the range (Fig. 6D). 2) Basins with similar topographic characteristics have equivalent erosion rates, even across the range divide where glacial size changed drastically (compare black and grey samples in Fig. 6). 3) It is apparent from our regressions there are non-linear relationships with local relief, channel steepness and hillslope angle, and Holocene erosion rates (Fig. 6). In tectonically active and previously glaciated mountain ranges there are three common orogenic processes that are most often suggested to dominate Holocene erosion rate patterns: climate gradients (Carretier et al., 2013, Olen et al., 2016), glacial modification of the landscape (Moon et al., 2011, Glotzbach et al., 2013), and patterns of tectonic rock uplift (Adams et al., 2016, Scherler et al., 2013, Godard et al., 2014). In the following we explore the relevance and applicability of these explanations to our data set.

First, we find it highly unlikely that a precipitation gradient similar to the modern has a significant control on recent erosion rates. There is no clear relationship between modern precipitation and erosion rates (Fig. 6D). Even in the neighboring, glaciated Cascade Range (~70 km to the east of the Olympic Mountains) where the modern precipitation gradient is not as large, there is a strong linear relationship suggesting erosion scales with precipitation over diverse timescales, making it an important condition for setting Holocene and older erosion rates (Moon et al., 2011, Reiners et al., 2003).
Second, our data do not suggest that destabilization of the landscape via glacial incision played a primary role in setting the Holocene erosion pattern. Despite the significant gradients in the Pleistocene ELA (Fig. 2E) and the change in glacier size, and the estimated higher erosion Quaternary erosion rates (Michel et al., 2018) across the range divide (Fig. 1B), there is no statistical difference between the erosion rates across the range divide for basins of similar topographic characteristics (Fig. 2 and Fig. 5A, 5B, 5C), and there is a very weak correlation between ELA and erosion rates (Fig. 5D). However, it has been observed that Plio-Pleistocene glaciers widened valleys in the Olympic Mountains (Montgomery, 2002, Adams and Ehlers, 2017), which led to the lengthening and steepening of hillslopes throughout the range. In the nearby Cascade Range, similar valley widening has led to hillslopes with higher likelihoods for failure (Moon et al., 2011). Unlike in the Olympic Mountains, findings from the Cascades suggest that the range was heavily influenced by glacial incision to an extent that the topographic form largely reflects relict glacial processes, and as a result, Holocene erosion rates are more likely to be correlated with precipitation in these landscapes further from equilibrium. Our analysis suggests that the changes in the landscape due to Plio-Pleistocene glaciation in the Olympic Mountains likely only steepened relatively small areas of hillslopes of landscapes relative to the already steep conditions imposed by high rock uplift and erosion rates. Similarly, glacial incision may have only influenced small relatively small portions of the channel network and range relief, which might appear as threshold values of channel steepness and local relief, or simply to make the distributions of these parameters within a basin more complex. Therefore, the landscapes examined the Olympics may have been only moderately perturbed by Plio- Pleistocene glacial incision, and they may still record a relatively close balance between recent erosion rates and rock uplift.

The balance between post-glacial erosion and longer-lived rock uplift depends on whether post-glacial climate conditions (e.g., increase or decrease in precipitation), or topographic perturbations (e.g. hillslope steepening or channel shallowing) have changed the activity of extant surface processes. There are many examples of ranges where there have been significant changes to topography (Brandimonti and Hassan, 2006, 2007; Brocklehurst and Whipple, 2007; Glotzbach et al., 2013; Hobley et al., 2010; Montgomery, 2001; Rohl et al., 2008) and erosion during and after glaciation (Moon et al., 2011; Reiners et al., 2003; Christeleit et al., 2017). Whether these changes are not clearly observed (Thomson et al., 2010).

More generally, these changes were explored in a coupled ice dynamic/landscape evolution model testing the modification of topography and erosion rates due to alpine glaciation (Yanites and Ehlers, 2012). The results of these numerical models suggest that the degree of erosion change before and after glaciation is a function of regional temperature and the rock uplift rate. These two parameters control the glaciers ability concentrate elevations at or near the ELA were ice erodes most efficiently. If too much or too little of the landscape lies above the ELA, then glacial erosion is not very efficient and little topographic perturbation occurs. In these landscapes, erosion rates may change during glacial periods, but interglacial erosion rates return to near rock uplift rates, as before. In the cases where glaciers were very effective agents of erosion, relief (on hillslopes or channels) is reduced during glaciation (Whipple et al., 1999; Adams and Ehlers, 2017), and post-glacial erosion rates can be lower than pre-glacial, and vice versa. As such, there is a sweet spot within mountain range conditions where glaciers are more efficient, and furthermore, even when glaciers are efficient it cannot be assumed how post-glacial rates might change. To put it another way, it should be assumed that landscapes will respond differently alpine glaciation depending on climate and topographic conditions before and after glaciation.

Figure 7 illustrates the similarity of the trends in other rock uplift rate proxies, and the cosmogenic erosion rates presented here in a direction parallel to the convergence across the Olympic Mountain range. When our new Holocene erosion rate pattern is compared with older patterns of estimated rock uplift rates (Fig. 7), there are a few apparent mismatches. In some locations, our rates are higher and lower than rock uplift rates (as might be expected in post-glacial landscapes), but

Moved down [3]: Our observations are in line with previous authors who have highlighted importance of subduction zone dynamics for setting the pace and pattern of erosion in the Olympic Mountains (Brandon and Vance, 1992; Pazzaglia and Brandon, 2001; Batt et al., 2001; Brandon et al., 1998; Stolar et al., 2007).

Moved down [2]: Taken together, we suggest that the Holocene erosion rates (Fig. 2E), mean elevation, local relief (Fig. 2B), and channel steepness (Fig. 2D) observed in the Olympic Mountains most closely record a rock uplift pattern that increases from the low-relief flanks to the rugged core of the range (Fig. 5), similar to what has been shown in other datasets (Brandon et al., 1998; Batt et al., 2001; Pazzaglia and Brandon, 2001).

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overall the pattern of increasing rates from the flanks to the core of the range is consistent between these datasets. Adams and Ehlers (2017) and Michel et al. (2018) proposed that a spatial pattern of rock uplift similar to the one described above was consistent with the observations of the bend in the subducting Juan de Fuca plate at the Cascadia subduction zone and the dome of accreted sediments in the core of the Olympic Mountains, which form the east-plunging Olympic Anticline (Brandon and Calderwood, 1990). This pattern of focused rock uplift and erosion is also predicted for the geometry of the curved subducting Juan de Fuca plate (Crosset and Owens, 1987; Bendick and Ehlers, 2014). We suggest this long-lasting pattern is primarily controlled by tectonic forces, and while the Plio-Pleistocene alpine glaciers of the Olympic Mountains have not radically altered the topography enough to drastically change the pattern of erosion.

6 Conclusions

Taken together, we suggest that the Holocene erosion rates (Fig. 2E), mean elevation, local relief (Fig. 2B), and channel steepness (Fig. 2D) observed in the Olympic Mountains most closely record a rock uplift pattern that increases from the low-relief flanks to the rugged core of the range (Fig. 7), similar to what has been shown in other datasets (Brandon et al., 1998; Batt et al., 2001; Pazzaglia and Brandon, 2001). Our interpretations are in line with previous authors who have highlighted the importance of subduction zone dynamics for setting the pace and pattern of erosion in the Olympic Mountains (Brandon and Vance, 1992; Pazzaglia and Brandon, 2001; Batt et al., 2001; Brandon et al., 1998; Stolar et al., 2007). This result may be unexpected given the glacial impact that has been previously documented throughout the range (Porter, 1964; Montgomery and Greenberg, 1990; Montgomery, 2002; Adams and Ehlers, 2017), and further described in this manuscript. However, the Plio-Pleistocene glaciers impact on small- and range-scale may have been limited in the Olympic Mountains because large portions of the range may have already been at near-threshold conditions for glaciation (Montgomery, 2001), or a small proportion of the range was focused at the ELA during glacial periods. As such, post-glacial erosion rates exhibit the same spatial patterns and magnitudes as longer-term estimates. The alpine glaciers of the Olympic Mountains have left behind wonderful, sculpted landscapes, but these landscapes may have not been as significantly altered as once thought, at least not enough to drastically change post-glacial erosion.

Acknowledgments

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References


Hack, J. T. (1957) 'Streams of longitudinal stream profiles in Virginia and Maryland'.


Figure 1. Topographic and geologic features of the Olympic Peninsula, Washington State, USA. A) Simplified geology based on Brandon et al. (1998). The relative velocity of the Juan de Fuca plate toward the North American plate is ~36 mm/yr with a bearing of ~54° (DeMets and Dixon, 1999). Red box denotes the extent of panel B. HRF – Hurricane Ridge Fault. Grey lines outline the coast of Washington State. Dashed black line is the cross-section line for Fig. 7. B) Elevation map of the Olympic Mountains. Ice, including extant alpine glaciers, is masked in blue. Undifferentiated Quaternary alpine glacial till and alluvial deposits are marked in grey and yellow, respectively. Contours of equilibrium line altitudes (ELA) are shown in meters above sea level. Black box denotes the extent of Fig. 2 panels. A red dot marks Mount Olympus.
Figure 2. Attribute and erosion maps of the Olympic Mountains. Solid outlines denote the boundaries of sampled basins. High rugged core outlined in black/white dashed lines. A) Mean annual precipitation (MAP) map based on PRISM data (Daly et al., 1994). Open and closed circles mark new and previously published sample locations, respectively. B) Local relief (5 km relief) map. C) Hillslope angle map. D) Channel steepness ($k_s$) map plotted for accumulation areas > 2 km$^2$. E) Basin-averaged erosion rate map. Range divide marked in magenta. Equilibrium line altitude (ELA) contours from Porter (Porter, 1964) are in black.
Figure 3. Comparison of the mean basin elevation with other basin averaged metrics. A) Mean annual precipitation. B) Hillslope angle. C) Local relief (using a 5 km diameter circle). D) Channel steepness.
Figure 4. Erosion island plot for new Olympic Mountain samples. Each sample is represented by a 2σ error ellipse. Dashed, grey ellipses mark samples with poor 10Be measurements, see text for discussion.

Figure 5. Predicted evolution of landscapes toward isotopic evolution after deglaciation. Black and grey lines denote 10% and 5% contour intervals, respectively. Basin-averaged erosion rates from the Olympic Mountains are shown on the right. Basins marked in red were not glaciated during the Last Glacial Maximum (LGM).
Figure 6. Plot of erosion rates with basin-averaged metrics. Due to the high degree of variation within a single basin, we have plotted basin metric data as box-and-whisker plots. Thin vertical bars denote 2 standard deviations. Thick vertical bars denote the central 50% of the data between the 1st and 3rd quartiles (Q1 and Q3). Red bars denote the medians and white circles denote means. Horizontal bars show 2σ confidence intervals on erosion rates. West and east side basins are shown in black and grey, respectively. A) Erosion rate versus mean local relief (5-km relief). Inset shows higher erosion rate samples not featured in other panels. B) Erosion rate versus mean hillslope angle. C) Erosion rate versus mean channel steepness. D) Erosion rate versus mean annual precipitation.
Figure 7. Comparison between estimated erosion and relief across the Olympic Mountains. A) Elevation and climate data across the Olympic Mountain range parallel to the direction of tectonic convergence (~54°). Maximum and mean elevations are shown in thin and thick black lines, respectively. Mean annual precipitation data (Daly et al., 1994) are shown in blue. Equilibrium line altitude (ELA) data (Porter, 1964) are represented by a red trend line. B) The blue circles show estimated rock uplift rates from apatite fission track data from Brandon et al. (1998). Black circles are rock uplift rate estimates from Pazzaglia and Brandon (2001) based on river terrace incision. Basin-average erosion rates in this study are shown in red circles with bars denoting the width of the basins. See Fig. 1A for cross section location.
Table 1. Sample basin characteristics. Mean equilibrium line altitude (ELA) based on estimates from Porter (1964). 2e = 2 standard deviations on the mean. Curves represent simplified histograms with normalized counts. See labels below each column for minimum and maximum bin values. Basins in italics are from Jonquère et al. (2007).

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Table 2. Basin metrics for erosion processes.  $2\sigma = 2$ standard deviations on the mean. Curves represent simplified histograms with normalized counts. See labels below each column for minimum and maximum bin values. Basins in italics are from Belmont et al. (2007). Values exclude data from ice covered regions.

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Table 3. Basin-averaged erosion rate sample data. Integrate time was calculated by dividing the e-folding depth of the production of cosmic nuclides via spallation (0.6 m) by the erosion rate. Italicized samples are from Belmont et al. (2007). Underlined samples had $^{10}$Be measurements less than 10 times the blank measurement.

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Because our methods to calculate effective latitude and elevation do not incorporate temporal production fluctuations, w
Supplement of:
Tectonic controls of Holocene erosion in a glaciated orogen
Byron A. Adams\textsuperscript{1,2}, Todd A. Ehlers\textsuperscript{1}

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This PDF file includes:

Fig. S1. Basin sample location map.

Fig. S2. Comparison of basin-averaged erosion rates and equilibrium line altitudes (ELA).

Calculation of snow depth estimations.

Fig. S3. Monthly estimated snow depth map.

Fig. S4. Mean monthly snow depth measurements from the Buckinghorse SNOTEL meteorological station.

Table S1. Laboratory and isotopic data for new Olympic Mountain samples.

Table S2. Blank data for new Olympic Mountain samples.

Table S3. Shielding and erosion rate comparisons.

References
Figure S1. Basin sample location map. Samples marked with open circles are from Belmont et al. (2007).

Figure S2. Comparison of basin-averaged erosion rates and equilibrium line altitudes (ELA). Black and grey data are from the west and east sides of the range, respectively.

Calculation of snow depth estimations

For this study, we utilized the MODIS/Terra Snow Cover Monthly L3 Global 0.05°, Version 6 dataset (Hall and Riggs, 2015), to estimate the distribution of snow for a given month. For any given pixel in the scene the value can vary between 0 and 100. While we consider these values to be spatially accurate they are only qualitative in that they do not have a magnitude equal to a physical dimension. To scale these data to represent snow depth values, we consider the snow cover values to be analogous to a percentage of the maximum snow depth in the Olympic Mountain range.
Our best estimate of maximum snow depth in the range comes from the Buckinghorse SNOTEL meteorological station (https://www.ncdc.noaa.gov/cdo-web/datasets/; Network ID: GHCND:USS0023B18S), located at 1484 m in the southern reaches of the Elwha Valley in the core of the range (Fig. S4 and S5). This station records the highest monthly snow depth measurements within the range. In the final step, we smoothed mean monthly snow cover data (2001-2015) using a bilinear algorithm and multiplied these percentages by the mean monthly snow depth station data (2009-2015). We do not assert that the resulting maps (Fig. S4) are completely accurate. However, we have calculated them to constrain the possible effect snow shielding may have on the calculation of erosion rates across the range. We assume a snow density of 0.25 g/cm³ for shielding calculations.

Figure S3. Monthly estimated snow depth map. The dot marks the position of the Buckinghorse SNOTEL meteorological
station.

Figure S4. Mean monthly snow depth measurements from the Buckinghorse SNOTEL meteorological station. These means are calculated for the years 2009-2015.

Table S1. Laboratory and isotopic data for new Olympic Mountain samples.

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Table S2. Blank data for new Olympic Mountain samples.

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